

# **SRI CHAITANYA** NATION'S 1<sup>ST</sup>CHOICE FOR **IIT-JEE SUCCESS**

**5 STUDENTS IN TOP 10 IN JEE-ADVANCED 2024 OPEN CATEGORY** 



97

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NUMBER OF QUALIFIED

RANKS

18-05-2025\_JEE-Advanced-2025-P2-QP & Sol's



O A.P O T.S O KARNATAKA O TAMILNADU O MAHARASTRA O DELHI O RANCHI

### A right Choice for the Real Aspirant

### ICON Central Office - Madhapur – Hyderabad

### JEE-ADVANCED-2025-P2-Model

### Time:3Hr's

**IMPORTANT INSTRUCTIONS** 

Max Marks: 180

MATHEMATICS:					
Section	Question Type	+Ve Marks	- Ve Marks	No.of Qs	Total marks
Sec – I(Q.N : 1 – 4)	Questions with Single Correct Choice	+3	-1	4	12
Sec – II(Q.N : 5 – 8)	Questions with Multiple Correct Choice with partial mark	+4	-2	4	16
Sec – IV(Q.N : 9 – 16)	NUMERICAL VALUE	+4	0	8	32
	Total	1.10		16	60

### **PHYSICS:**

Section	Question Type	+Ve Marks	- Ve Marks	No.of Qs	Total marks
Sec – I(Q.N : 17 – 20)	Questions with Single Correct Choice	+3	-1	4	12
Sec – II(Q.N : 21 – 24)	Questions with Multiple Correct Choice with partial mark	+4	-2	4	16
Sec – IV(Q.N : 25 – 32)	NUMERICAL VALUE	+4	0	8	32
	Total			16	60

### **CHEMISTRY:**

Section	Question Type	+Ve Marks	- Ve Marks	No.of Qs	Total marks
Sec – I(Q.N : 33 – 36)	Questions with Single Correct Choice	+3	-1	4	12
Sec – II(Q.N : 37 – 40)	Questions with Multiple Correct Choice with partial mark	+4	-2	4	16
Sec - IV(Q.N : 41 - 48)	NUMERICAL VALUE	+4 5	0	8	32
	Total			16	60



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### MATHEMATICS

Max Marks: 60

### SECTION–I (SINGLE CORRECT ANSWER TYPE)

This section contains FOUR (04) questions.

• Each question has FOUR options (A), (B), (C) and (D). ONLY ONE of these four options is the correct answer.

- For each question, choose the option corresponding to the correct answer.
- Answer to each question will be evaluated <u>according to the following marking scheme:</u>

*Full Marks* : +3 If **ONLY** the correct option is chosen;

*Zero Marks* : 0 If none of the options is chosen (i.e. the question is unanswered); *Negative Marks* : -1 In all other cases

1. Let  $x_0$  be the real number such that  $e^{x_0} + x_0 = 0$ . For a given real number  $\alpha$ , define

$$g(x) = \frac{3xe^{x} + 3x - \alpha e^{x} - \alpha x}{3(e^{x} + 1)}$$
 for all real numbers x.

Then which one of the following statements is TRUE?

A) For 
$$\alpha = 2$$
,  $\lim_{x \to x_0} \left| \frac{g(x) + e^{x_0}}{x - x_0} \right| = 0$  B) For  $\alpha = 2$ ,  $\lim_{x \to x_0} \left| \frac{g(x) + e^{x_0}}{x - x_0} \right| = 1$   
C) For  $\alpha = 3$ ,  $\lim_{x \to x_0} \left| \frac{g(x) + e^{x_0}}{x - x_0} \right| = 0$  D) For  $\alpha = 3$ ,  $\lim_{x \to x_0} \left| \frac{g(x) + e^{x_0}}{x - x_0} \right| = \frac{2}{3}$ 

ANS:-C

**SOL:**  $e^{x_0} + x_0 = 0$ 

$$g(x) = \frac{3xe^{x} + 3x - \alpha e^{x} - \alpha x}{3(e^{x} + 1)} = \frac{3x(e^{x} + 1) - \alpha(e^{x} + x)}{3(e^{x} + 1)} = x - \frac{\alpha}{3}\left(\frac{e^{x} + x}{e^{x} + 1}\right)$$

$$\frac{g(x) + e^{x_{0}}}{x - x_{0}} = \frac{e^{x_{0}} + x - \frac{\alpha}{3}\left(\frac{e^{x} + x}{e^{x} + 1}\right)}{x - x_{0}} = \frac{e^{x_{0}} + x_{0} + x - x_{0} - \frac{\alpha}{3}\left(\frac{e^{x} + x}{e^{x} + 1}\right)}{x - x_{0}}$$

$$= 1 - \frac{\alpha}{3}\frac{(e^{x} + x)}{x - x_{0}}\frac{1}{e^{x} + 1}D$$

$$= 1 - \frac{\alpha}{3}\frac{1}{e^{x_{0}} + 1}\left(\frac{e^{x_{0}} + 1}{1}\right) = 1 - \frac{\alpha}{3}$$

$$\alpha = 3 \Rightarrow \text{Ans} = 0$$



JEE MAIN 2025

500 4

95

10

10

100

98

1000 4 57.9

31

100

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TOTAL QUALIFIED RANKS 22,094



SOL: 
$$\frac{\tan\theta}{3} = \tan\phi$$
$$\frac{2\frac{\tan\theta}{3}}{1 + \left(\frac{\tan\theta}{3}\right)^2} = \frac{2\tan\theta}{1 + \tan^2\phi} = \sin 2\phi$$
$$\theta = \tan^{-1}(2\tan\alpha) - \frac{1}{2}\sin^{-1}(\sin 2\phi), 2\phi \in (-\pi, \pi)$$
$$Case-1: \operatorname{Let} 2\phi \in \left(\frac{-\pi}{2}, \frac{\pi}{2}\right) \Rightarrow \phi \in \left(\frac{-\pi}{4}, \frac{\pi}{4}\right) \Rightarrow \tan\phi \in (-1,1), \tan\theta \in (-3,3)$$
$$\theta = \tan^{-1}(2\tan\theta) - \phi \qquad \tan\theta = \frac{2\tan\theta - \frac{\tan\theta}{3}}{1 + 2(\tan\theta)^2}$$
$$t = \frac{2t - \frac{t}{3}}{1 + \frac{2}{3}t^2} \Rightarrow t = 0, 1, -1$$
$$\tan\theta = 0, 1, -1 \Rightarrow \theta = 0, \frac{\pi}{4}, \frac{-\pi}{4} \text{ all are in domain}$$
$$Case-2: \qquad \operatorname{Let} 2\phi \in \left(\frac{\pi}{2}, \pi\right)$$
$$\Rightarrow \theta = \tan^{-1}(2\tan\theta) + \frac{1}{2}[\pi - 2\phi]$$
$$\Rightarrow \frac{\pi}{2} + \theta = \tan^{-1}(2\tan\theta) + \phi \qquad \Rightarrow -\cot\theta = \frac{2\tan\theta + \frac{\tan\theta}{3}}{1 - \frac{2}{3}\tan^2\theta}$$
$$t = \tan\theta \Rightarrow \frac{-1}{t} = \frac{7t}{3 - 2t^2} \Rightarrow -3 + 2t^2 = 7t^2 \Rightarrow 5t^2 + 3 = 0 \Rightarrow t \in \phi$$
$$Case-3: \qquad \operatorname{Let} 2\phi \in \left(-\pi, \frac{-\pi}{2}\right)$$



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$$\Rightarrow \theta - \frac{\pi}{2} = \tan^{-1}(\tan\theta) + \phi \qquad \Rightarrow -\cot\theta = \frac{2\tan\theta + \frac{\tan\theta}{3}}{1 - \frac{2}{3}\tan\theta} \Rightarrow \theta \in \phi$$

From all 3 cases, we get 3 solutions for  $\theta$ 

4. Let S denotes the locus of the point of intersection of the pair of lines

 $4x - 3y = 12\alpha$ ,

 $4\alpha x + 3\alpha y = 12$ ,

where  $\alpha$  varies over the set of non-zero real numbers. Let T be the tangent to S

passing through the points (p,0) and (q,0), q > 0, and parallel to the line  $4x - \frac{3}{\sqrt{2}}y = 0$ .

**C**)  $-9\sqrt{2}$  **D**)  $-12\sqrt{2}$ 

 $\frac{1}{\alpha} - \alpha = \frac{y}{2}$ 

Then the values of pq is

**A**)  $-6\sqrt{2}$  **B**)  $-3\sqrt{2}$ 

ANS- A

**SOL:**  $4\alpha x - 3\alpha y = 12\alpha^2$  .....(1)

 $4\alpha x + 3\alpha y = 12$  .....(2)

(1) + (2)	$r = 12(\alpha^2 + 1)$	(1) $(2)$ .	$12(1-\alpha^2)$
(1)+(2).	$x = \frac{8\alpha}{8\alpha}$	(1)-(2).	$y = \frac{1}{6\alpha}$

 $\alpha + \frac{1}{\alpha} = \frac{2x}{3}$ Eliminate  $\alpha \rightarrow$ 

$$S:\frac{4x^2}{9} - \frac{y^2}{4} = 4 \Rightarrow \frac{x^2}{9} - \frac{y^2}{16} = 3$$

 $9m^2-16$ Tangent with slope  $m = \frac{4\sqrt{2}}{2}$  is y = mx

$$\Rightarrow y = \frac{4\sqrt{2x}}{3} + 4 \quad \Rightarrow p = \frac{-3}{\sqrt{2}}, q = 4 \quad \Rightarrow pq = \frac{-12}{\sqrt{2}} = -6\sqrt{2}$$



 $b,c,d \neq 0$ 

### **SECTION – II** (ONE OR MORE CORRECT ANSWER TYPE)

This section contains FOUR (04) questions.

- Each question has FOUR options (A), (B), (C) and (D). ONE OR MORE THAN ONE of these four option(s) is(are) correct answer(s).
- For each question, choose the option(s) corresponding to (all) the correct answer(s).

• Answer to each question will be evaluated according to the following marking scheme :

Full Marks :+4 ONLY if (all) the correct option(s) is(are) chosen;

Partial Marks: +3 If all the four options are correct but ONLY three options are chosen;

Partial Marks: +2 If three or more options are correct but ONLY two options are chosen, both of which are correct;

Partial Marks: +1 If two or more options are correct but ONLY two options are chosen, and it is a correct option ;

Zero Marks : 0 If none of the options is chosen (i.e. the question is unanswered);

Negative Marks : -2 In all other cases.

For example, in a question, if (A), (B) and (D) are the ONLY three options corresponding to correct answers, then choosing ONLY (A), (B) and (D) will get +4 marks; choosing ONLY (A) and (B) will get +2 marks; choosing ONLY (A) and (D) will get +2 marks; choosing ONLY (B) and (D) will get +2 marks; choosing ONLY (A) will get +1 mark; choosing ONLY (B) will get +1 mark; choosing ONLY (D) will get +1 mark; choosing no option (i.e. the question is unanswered) will get 0 marks; and choosing any other combination of options will get -2 marks.

5. Let 
$$I = \begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix}$$
 and  $P = \begin{pmatrix} 2 & 0 \\ 0 & 3 \end{pmatrix}$ . Let  $Q = \begin{pmatrix} x & y \\ z & 4 \end{pmatrix}$  for some non-zero real numbers x, y and

z for which there is a  $2 \times 2$  matrix R with all entries being non-zero real numbers, such that QR = RP.

Then which of the following statements is (are) TRUE ?

A) The determinant of Q-2I is zero

**B)** The determinant of Q-6I is 12

- C) The determinant of Q-3I is 15
- **D**) yz = 2

ANS: AB

**SOL:** QR = RP

$$|P| = 6 \qquad R = \begin{bmatrix} a & b \\ c & d \end{bmatrix} \qquad a, b, c, d \neq 0$$

$$\begin{pmatrix} x & y \\ z & 4 \end{pmatrix} \begin{pmatrix} a & b \\ c & d \end{pmatrix} = \begin{pmatrix} a & b \\ c & d \end{pmatrix} \begin{pmatrix} 2 & 0 \\ 0 & 3 \end{pmatrix}$$

$$ax + cy = 2a \qquad , \qquad bx + yd = 3b$$

$$az + 4c = 2c \qquad , \qquad bz + 4d = 3d$$

$$az = -2c \qquad bz = -d$$



6.

 $\frac{-2c}{a} = \frac{-d}{b}$  $\Rightarrow 2bc = ad \qquad \Rightarrow ad - bc = bc \Rightarrow |R| \neq 0$ (Q-2I)R = QR - 2R= RP - 2R = R(P - 2I)|P-2I|=0 $\Rightarrow |Q-2I|=0$ QR - 6R = RP - 6R = R(P - 6I) $|Q-6I| |R| = |R| |P-6I| \implies |Q-6I| = 12$ Similarly, |Q-3I|=0For option D: solve az = -2c, bz = -dax + cy = 2a, bx + yd = 3b $ax - \frac{azy}{2} = 2a$ , bx - ybz = 3b $2x - yz = 4, \qquad x - yz = 3$ x = 1, yz = -2Let S denote the locus of the mid-points of those chords of the parabola  $y^2 = x$ , such that the area of the region enclosed between the parabola and the chord is  $\frac{4}{2}$ . Let R denote the region lying in the first quadrant, enclosed by the parabola  $y^2 = x$ , the curve S, and the lines x = 1 and x = 4. Then which of the following statements is(are) **TRUE**? **B**)  $(5,\sqrt{2}) \in S$ A)  $(4,\sqrt{3}) \in S$ **D**) Area Of R is  $\frac{14}{3} - \sqrt{3}$ C) Area Of R is  $\frac{14}{3} - 2\sqrt{3}$ **ANS-AC** 



SOL:



Area 
$$=\frac{4}{3}$$

Let Midpoint be (h,k)Chord equation:  $S = S_1$ 

$$yk - \left(\frac{x+h}{2}\right) = k^2 - h$$

Solving chord with parabola, we get  $yk - \frac{y+h}{2} = k^2 - h \Rightarrow y^2 - 2ky + 2k^2 - h = 0$ 

$$y_{1} + y_{2} = 2k, y_{1}y_{2} = 2k^{2} - h, |y_{1} - y_{2}| = \sqrt{4k^{2} - 8k^{2} + 4x} = 2\sqrt{h - k^{2}}$$

$$A = \int_{y_{1}}^{y_{2}} ((2ky - 2k^{2} + h) - y^{2}) dy = \frac{4}{3}$$

$$k (y_{1}^{2} - y_{2}^{2}) + (h - 2k^{2})(y_{2} - y_{1}) - \frac{1}{3}(y_{2}^{3} - y_{1}^{3}) = \frac{4}{3}$$

$$2 (h - k^{2})^{3/2} (2h - 2k^{2}) = 4 \qquad \Rightarrow (h - k^{2})^{3/2} = 1$$
S is  $y^{2} = x - 1$ 

$$C \Rightarrow \int_{1}^{4} (\sqrt{x} - \sqrt{x - 1}) dx = \frac{2}{3} |x^{3/2} - (x - 1)^{3/2}|_{1}^{4} = \frac{14}{3} - 2\sqrt{3}$$

7. Let  $P(x_1, y_1)$  and  $Q(x_2, y_2)$  be two distinct points on the ellipse  $\frac{x^2}{9} + \frac{y^2}{4} = 1$  such that  $y_1 > 0$ , and  $y_2 > 0$ . Let C denote the circle  $x^2 + y^2 = 9$ , and M be the point (3,0). Suppose the line  $x = x_1$  intersects C at R, and the line  $x = x_2$  intersects C at S, such that the y-coordinates of R and S are positive. Let  $\angle ROM = \frac{\pi}{6}$  and  $\angle SOM = \frac{\pi}{3}$ , where O denotes the origin (0,0). Let |XY| denotes the length of the line segment XY. Then which of the following statements is (are) TRUE?



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A) The equation of the line joining P and Q is  $2x + 3y = 3(1 + \sqrt{3})$ 

**B**) The equation of the line joining P and Q is  $2x + y = 3(1 + \sqrt{3})$ 

C)If  $N_2 = (x_2, 0)$ , then  $3|N_2Q| = 2|N_2S|$ D) If  $N_1 = (x_1, 0)$ , then  $9|N_1P| = 4|N_1R|$ ANS- AC

SOL:





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8. Let  $\mathbb{R}$  denote the set of real numbers. Let  $f : \mathbb{R} \to \mathbb{R}$  be defined by

$$f(x) = \begin{cases} \frac{6x + \sin x}{2x + \sin x}, & \text{if } x \neq 0\\ \frac{7}{3}, & \text{if } x = 0 \end{cases}$$

Then which of the following statements is (are) true?

A) The point x = 0 is a point of local maxima of f

**B**) The point x = 0 is a point of local minima of f

C) Number of points of local maxima of f in the interval  $[\pi, 6\pi]$  is 3

**D**) Number of points of local minima of f in the interval  $[2\pi, 4\pi]$  is 1

**ANS-BCD** 

SOL: 
$$f(x) = \begin{cases} 1 + \frac{4x}{2x + \sin x}, & x \neq 0 \\ \frac{7}{3}, & x = 0 \end{cases}$$
$$f(x) = \frac{4x}{2x + \sin x}$$
$$f'(x) = \frac{4(2x + \sin x) - 4x(2 + \cos x)}{(2x + \sin x)^2} = \frac{4\sin x - 4x\cos x}{(2x + \sin x)^2} = \frac{4\cos x - (\tan x - x)}{(2x + \sin x)^2}$$
Graph of  $f(x)$ 
$$f'(x) = \frac{6\pi}{3} = \frac{6\pi}{3}$$







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10. Let  $a_0, a_1, \dots, a_{23}$  be real numbers such that

$$\left(1 + \frac{2}{5}x\right)^{23} = \sum_{i=0}^{23} a_i x^i$$

For every real number x. Let  $a_r$  be the largest among the numbers  $a_j$  for  $0 \le j \le 23$ .

Then the value of *r* is\_\_\_\_\_.

ANS: 6

# **SOL:** $a_r = {}^{23} C_r \left(\frac{2}{5}\right)^r$

Let  $a_r$  be the numerically greatest term  $\Rightarrow a_r > a_{r-1} \Rightarrow^{23} C_r \left(\frac{2}{5}\right)^r >^{23} C_{r-1} \left(\frac{2}{5}\right)^{r-1}$ 

$$\Rightarrow \frac{23!}{r!(23-r)!} \left(\frac{2}{5}\right) > \frac{23!}{(r-1)!(24-r)!} \Rightarrow 48 - 2r > 5r \Rightarrow 7r < 48 \Rightarrow [r] = 6$$

So,  $a_6$  is the greatest term

11. A factory has a total of three manufacturing units,  $M_1, M_2$ , and  $M_3$ , which produce bulbs independent of each other. The units  $M_1, M_2$ , and  $M_3$  produce bulbs in the proportions of 2:2:1, respectively. It is known that 20% of the bulbs produced in the factory are defective. It is also known that, of all the bulbs produced by  $M_1$ , 15% are defective. Suppose that, if a randomly chosen bulb produced in the factory is found to be defective,  $\frac{2}{3}$ 

the probability that it was produced by  $M_2$  is  $\frac{2}{5}$ .

If a bulb is chosen randomly from the bulbs produced by  $M_3$ , then the probability that it is defective is\_\_\_\_\_.

ANS: 0.3

**SOL:** Let the number of bulbs produced in  $M_1, M_2, M_3$  be 200x, 200x, 100x respectively

So, Total bulbs produced will be 500x

Total defective bulbs will be 20% of 500x i.e., 100x

Number of defective bulbs from  $M_1 = \frac{15}{100} \times 200x = 30x$ 

Let a% be the defective bulbs in  $M_2$  which means number of defective bulbs from  $M_2$ 

will be 
$$\frac{a}{100} \times 200x = 2ax$$



500 4 95

BELOW

31

BELOW 10 10

1000 4 579

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TOTAL QUALIFIED RANKS **22,094** FOR JEE ADVANCED 2025

Given, 
$$\frac{P(M_2 \cap D)}{P(D)} = \frac{2ax}{100x} = \frac{a}{50} = \frac{2}{5} (Given)$$
 which means  $a = 20$   
So, number of defective bulbs from  $M_2$  will be 40x which means number of defective bulbs from  $M_3$  will be  $(100x - 30x - 40x) = 30x$   
So, Required probability will be  $\frac{30x}{100x} = 0.3$   
12. Consider the vectors  
 $\dot{x} = \hat{i} + 2\hat{j} + 3\hat{k}, \ \dot{y} = 2\hat{i} + 3\hat{j} + \hat{k}$  and  $\bar{z} = 3\hat{i} + \hat{j} + 2\hat{k}$ .  
For two distinct positive real numbers  $\alpha$  and  $\beta$ , define  
 $\vec{x} = \alpha \hat{x} + \beta \hat{y} - \vec{z}, \ \vec{y} = \alpha \hat{y} + \beta \vec{z} - \dot{x}$  and  $\vec{Z} = \alpha \vec{z} + \beta \dot{x} - \ddot{y}$ .  
If the vectors  $\vec{X}, \vec{Y}$  and  $\vec{Z}$  lie in a plane, then the value of  $\alpha + \beta - 3$  is.  
ANS: -2  
SOL:  $\begin{bmatrix} \vec{X} \ \vec{Y} \ \vec{Z} \end{bmatrix} = 0 \Rightarrow \begin{vmatrix} \alpha & \beta & -1 \\ \beta & -1 & \alpha \end{vmatrix} = 0 \Rightarrow \alpha + \beta = 1$  or  $\alpha = \beta = -1$   
Given  $\alpha, \beta$  are distinct, So we get  $\alpha + \beta = 1$   
3. For a non-zero complex number  $z$ , let  $\arg(z)$  denote the principal argument of  $z$ , with  $-\pi < \arg(z) \le \pi$ . Let  $\omega$  be the cube root of unity for which  $0 < \arg(\omega) < \pi$ . Let  
 $\alpha = \arg\left(\sum_{n=1}^{22} (-\omega)^n\right)$ .  
Then the value of  $\frac{3\alpha}{\pi}$  is .  
ANS: -2  
SOL: Let,  $\beta = -\omega + \omega^2 - \omega^3 + \omega^4 - \omega^5 + \omega^6 - \omega^7 + ...$   
We have  $-\omega + \omega^2 - \omega^3 + \omega^4 - \omega^5 + \omega^6 = 0$   
Every 6 pair sum=0,  
 $\beta = -\omega^{2023} + \omega^{2024} - \omega^{2025}$   $\beta = -\omega + \omega^2 - 1$   $\beta = \frac{1 - \sqrt{3}i}{2} + \frac{-1 - i\sqrt{3}}{2} - 1$   
 $\beta = -1 - i\sqrt{3}$   $\alpha = \arg(\beta) = \frac{-2\pi}{3} \Rightarrow \frac{3\alpha}{\pi} = -2$   
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14.	The $\mathbb{R}$ denote the set of all real numbers	. Let $f : \mathbb{R} \to \mathbb{R}$ and $g : \mathbb{R} \to (0,4)$ be function
	defined by $f(x) = \log_e(x^2 + 2x + 4)$ , and	$g(x) = \frac{4}{1 + e^{-2x}}.$
	Define the composite function $f \circ g^{-1}$ by	y $(f \circ g^{-1})(x) = f(g^{-1}(x))$ , where $g^{-1}$ is the
	inverse of the function $g$ . Then the value	of the derivative of the composite function
	$f \circ g^{-1}$ at $x = 2$ is	
ANS:	0.25	
SOL:	$f(x) = \log_e(x^2 + 2x + 4)  g(x) = \frac{4}{1 + e^{-2}}$	$\frac{1}{2x} 1 + e^{-2x} = \frac{4}{y}$
	$e^{-2x} = \frac{4-y}{y}$ $-2x = \log \frac{4-y}{y}$ $g^{-2x} = \log \frac{4-y}{y}$	$^{-1}(x) = \frac{1}{2}\log\frac{x}{4-x}$
	$(f(g^{-1}(x)))' = f'(g^{-1}(x))(g^{-1}f(x))' =$	$=\frac{1}{\left(g^{-1}\right)^2+2g^{-1}+4}\times\left(g^{-1}(x)\right)\times\left(2g^{-1}(x)+2\right)$
	$(g^{-1}(x))' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{2}\left(\frac{1}{x} + \frac{1}{4-x}\right)$ Put $x = 2$ $\left(g^{-1}(x)\right)' = \frac{1}{4}\left(\frac{1}{4-x}\right)' = \frac{1}{4}\left($	$g^{-1}(x))'\Big _{x=2} = \frac{1}{2}\left(\frac{1}{2} + \frac{1}{4-2}\right) = \frac{1}{2}$
	$g^{-1}(2) = \frac{1}{2}\log\frac{2}{2} = 0$ Ans: $\frac{1}{4} \times \frac{1}{2} \times 2 = \frac{1}{4}$	
15.	Let $\alpha = \frac{1}{\sin 60^{\circ} \sin 61^{\circ}} + \frac{1}{\sin 62^{\circ} \sin 63^{\circ}} + \frac{1}{\cos 62^{\circ}} + 1$	$\cdots + \frac{1}{\sin 118^{\circ} \sin 119^{\circ}}$ . Then the value of
	$\left(\operatorname{cosecl}^{\circ}\right)^{2}$	
	$\left(\frac{\alpha}{\alpha}\right)$ <sup>1S</sup>	
ANS:	3 DU Alto	antione
SOL:	$\alpha = \frac{1}{1 + 1} + \dots +$	1 Institut
	$\sin 60^\circ \sin 61^\circ$ $\sin 62^\circ \sin 63^\circ$	sin118° sin119°
	$\sin 119^\circ = \sin \left(180^\circ - 61^\circ\right) = \sin 61^\circ$	
	Rewrite $\alpha$ $\alpha = \frac{1}{\sin 60^{\circ} \sin 61^{\circ}} + \frac{1}{\sin 60^{\circ} \sin 61^{\circ}}$	$\sin 61^{\circ} \sin 62^{\circ}$ + + $\sin 89^{\circ} \sin 90^{\circ}$
		Расе   1 <i>4</i>



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$$\alpha = \frac{1}{\sin 1^{\circ}} \left( \frac{\sin \left( 61^{\circ} - 60^{\circ} \right)}{\sin 60^{\circ} \sin 61^{\circ}} + \frac{\sin \left( 62^{\circ} - 61^{\circ} \right)}{\sin 61^{\circ} \sin 62^{\circ}} + \dots \right)$$
  

$$\alpha = \frac{1}{\sin 1^{\circ}} \left( \cot 60^{\circ} - \cot 61^{\circ} + \cot 61^{\circ} - \cot 62^{\circ} + \dots + \cot 89^{\circ} - \cot 90^{\circ} \right)$$
  

$$\alpha = \frac{1}{\sqrt{3} \sin 1^{\circ}} \qquad \frac{\csc 1^{\circ}}{\alpha} = \sqrt{3}$$
  
16. If  $\alpha = \int_{\frac{1}{2}}^{2} \frac{\tan^{-1} x}{2x^{2} - 3x + 2} dx$ , then the value of  $\sqrt{7} \tan \left( \frac{2\alpha \sqrt{7}}{\pi} \right) is$ .  
(Here, the inverse trigonometric function  $\tan^{-1} x$  assumes values in  $\left( -\frac{\pi}{2}, \frac{\pi}{2} \right)$ .)  
ANS:21  

$$\frac{2}{2} \tan^{-1} x$$

SOL: 
$$\alpha = \int_{\frac{1}{2}}^{2} \frac{\tan^{-1} x}{2x^2 - 3x + 2} dx$$
 put  $x = \frac{1}{t} \alpha = \int_{2}^{2} \frac{\tan^{-1} \left(\frac{1}{t}\right)}{2\left(\frac{1}{t^2}\right) - \frac{3}{t} + 2} \left(\frac{-1}{t^2}\right) dt$   $\alpha = \int_{\frac{1}{2}}^{2} \frac{\tan^{-1} \left(\frac{1}{x}\right)}{2x^2 - 3x + 2} dx$   
 $\pi \int_{t}^{2} dx$ 

Adding both, we get 
$$2\alpha = \frac{\pi}{2} \int \frac{dx}{\frac{1}{2}x^2 - 3x + 2}$$

$$\alpha = \frac{\pi}{4} \times \frac{1}{2} \int_{\frac{1}{2}}^{2} \frac{dx}{\left(x - \frac{3}{4}\right)^{2} + \frac{7}{16}} \qquad \frac{8\alpha}{\pi} = \frac{4}{\sqrt{7}} \tan^{-1} \left(\frac{x - \frac{3}{4}}{\frac{\sqrt{7}}{4}}\right)_{\frac{1}{2}}^{2}$$
$$= \frac{4}{\sqrt{3}} \left(\tan^{-1} \frac{5}{\sqrt{7}} + \tan^{-1} \frac{1}{\sqrt{7}}\right) \qquad \frac{8\alpha}{\pi} = \frac{4}{\sqrt{7}} \tan^{-1} \left(\frac{\frac{5}{\sqrt{7}} + \frac{1}{\sqrt{7}}}{1 - \frac{5}{7}}\right)$$
$$\frac{8\alpha}{\pi} = \frac{4}{\sqrt{7}} \tan^{-1} \left(\frac{5}{\sqrt{7}} + \frac{1}{\sqrt{7}}\right)$$





18. Two co-axial conducting cylinders of same length ℓ with radii √2R and 2R are kept, as shown in Fig. 1. The charge on the inner cylinder is Q and the outer cylinder is grounded. The annular region between the cylinders is filled with a material of dielectric constant K=5. Consider an imaginary plane of the same length ℓ at a distance R from the common axis of the cylinders. This plane is parallel to the axis of the axis of the cylinders. The cross-sectional view of this arrangement is shown in

Fig. 2. Ignoring edge effects, the flux of the electric field through the plane is ( $\subseteq_0$  is the permittivity of free space):







- $=15^0$   $\angle AOB = 15^0$
- 19. As shown in the figure, a uniform rod OO' of length  $\ell$  is hinged at the point O and held in place vertically between two walls using two massless springs of same spring constant. The springs are connected at midpoint and at the top-end (O') of the rod, as shown in Fig.1 and the rod is made to oscillate by a small angular displacement. The frequency of oscillation of the rod is  $f_1$ . On the other hand, if both the springs are connected at the midpoint of the rod, shown in Fig.2 and the rod is, made to oscillate by a small angular displacement, then the frequency of oscillation is  $f_2$ . Ignoring gravity and assuming

motion only in the plane of the diagram, the value of  $\frac{f_1}{f_2}$  is:





**ANS-C** 

- **SOL-**  $\rightarrow T_0 = \left[k\frac{l}{2}\theta\right]\frac{l}{2} + \left[kl\theta\right]l = k\frac{5l^2\theta}{4} \qquad w_1 = \sqrt{\frac{5kl^2}{4}}$  $\rightarrow T_0^1 = \left[k\frac{l}{2}\theta\frac{l}{2}\right]^2 = \frac{kl^2\theta}{2}$  $w_2 = \sqrt{\frac{kl^2}{2L}}$   $\frac{w_1}{w_2} = \sqrt{\frac{5}{2}} = \frac{f_1}{f_2}$
- Consider a star of mass  $m_2$  kg revolving in a circular orbit around another star of mass **20.**  $m_1$  kg with  $m_1 \gg m_2$ . The heavier star slowly acquires mass from the lighter star at a constant rate of  $\gamma$  kg/s. In this transfer process, there is no other loss of mass. If the separation between the centers of the stars is r, then its relative rate of change

 $\frac{1}{r}\frac{dr}{dt}(ins^{-1})$  is given by: **A)**  $-\frac{3\gamma}{2m_2}$  **B)**  $-\frac{2\gamma}{m_2}$  **C)**  $-\frac{2\gamma}{m_1}$  **D)**  $-\frac{3\gamma}{2m_1}$ 

**ANS-B** 

**SOL-**  $\frac{m_2 v^2}{r} = \frac{Gm_1m_2}{2}$ 





TOTAL QUALIFIED RANKS 22,094



100 4 31

500 4 9-5

Angular momentum is conserved about  $m_1$  since  $m_1 >> m_2$  hence  $L = m_2 vr \dots (2)$ 

1000 4 57.9

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A) Before the grounding, the electrostatic potential of the sphere is 450 V.

**B**) Charge flowing from the sphere to the ground because of grounding is  $5 \times 10^{-9} C$ .

C) After the grounding is removed, the charge on the sphere is  $-5 \times 10^{-9} C$ .

**D**) The final electrostatic potential of the sphere is 300 V.

ANS-ABC

SOL-



22. Two identical concave mirrors each of focal length f are facing each other as shown in the schematic diagram. The focal length f is much larger than the size of the mirrors. A glass slab of thickness t and refractive index  $n_0$  is kept equidistant from the mirrors and perpendicular to their common principal axis. A monochromatic point light source S is embedded at the center of the slab on the following distances between the two mirrors is/are correct:



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**A)**  $4f + \left(1 - \frac{1}{n_0}\right)t$  **B)**  $2f + \left(1 - \frac{1}{n_0}\right)t$  **C)**  $4f + (n_0 - 1)t$  **D)**  $2f + (n_0 - 1)t$ 

**ANS-AB** 

**SOL-** App depth  $=\frac{t}{2x_0}$ 

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Hence 
$$\frac{t}{2x_0} + x = 2f$$
 or  $\frac{t}{2x_0} + x = f$ 

$$x = 2J - \frac{1}{2x_0}$$
  $x = J - \frac{1}{2x_0}$ 

Hence  $2x + t = 4f + t\left(1 - \frac{1}{x_0}\right)$   $2x + t = 2f + t\left[1 - \frac{1}{x_0}\right]$ 

23. Six infinitely large and thin non-conducting sheets are fixed in configurations I and II. As shown in the figure, the sheets carry uniform surface charge densities which are indicated in terms of  $\sigma_0$ . The separation between any two consecutive sheets is  $1\mu m$ . The various regions between the sheets are

(Take permittivity of free space  $\epsilon_0 = 9 \times 10^{-12} F / m$ )

$$\begin{vmatrix} \sigma_{0} & -\sigma_{0} & +\sigma_{0} & -\sigma_{0} & +\sigma_{0} & -\sigma_{0} \\ 1 & 2 & 3 & 4 & 5 \\ 2 & 3 & 4 & 5 \\ Configuration I$$

Configuration II



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A) In region 4 of the configuration I, the magnitude of the electric field is zero.

**B**) In region 3 of the configuration II, the magnitude of the electric field is  $\frac{\sigma_0}{\epsilon_0}$ .

C) Potential difference between the first and the last sheets of the configuration I is 5V.

**D**) Potential difference between the first and the last sheets of the configuration II is zero.

ANS-A

SOL-

- 24. The efficiency of a Carnot engine operating with a hot reservoir kept at a temperature of 1000K is 0.4. It extracts 150J of heat per cycle from the hot reservoir. The work extracted from this engine is being fully used to rum a heat pump which has a coefficient of performance 10. The hot reservoir of the heat pump is at a temperature of 300K. Which of the following statements is/are correct:
  - A) Work extracted from the Carnot engine in one cycle is 60J.
  - B) Temperature of the cold reservoir of the Carnot engine is 600K.
  - C) Temperature of the cold reservoir of the heat pump is 270K.
  - **D**) Heat supplied to the hot reservoir of the heat pump in one cycle is 540J.

**ANS-ABC** 









itution

**SOL:**  $h\gamma_1 + -13.6 = 10ev$ 

$$h\gamma_1 = 23.6ev$$

Energy of  $n^{th}$  level in a positronium atom  $E_x = -\frac{13.6}{2}ev$ 

$$E_1 = \frac{-13.6}{2}ev$$

Also  $10ev = h\gamma_2 + (5ev) + (-6.8)ev$ 

$$h\gamma_2 = (5+6.8)ev = 11.8ev$$

Hence 
$$h\gamma_1 - h\gamma_2 = 23.6 - 11.8$$

=11.8ev

27. An ideal monatomic gas of n moles is taken through a cycle WXYZW consisting of consecutive adiabatic and isobaric quasi-static process, as shown in the schematic V-T diagram. The volume of the gas at W,X and Y points are ,  $64cm^3$ ,125  $cm^3$ , respectively. If the absolute temperature of the gas  $T_W$  at the point W is such that  $nRT_W = 1J$  (R is the universal gas constant), then the amount of heat absorbed (inJ) by the gas along the path XY is\_\_\_\_\_



**ANS-1.6** 

**SOL:**  $TV^{r-1}$  = Count for adiabatic process.

sti Cha



$$T_{W} = V_{x}^{r-1} = T_{x}V_{x}^{r-1}$$

$$T_{w} = T_{x} \left(\frac{V_{x}}{V_{w}}\right)^{r-1} = T_{x} \left(\frac{125}{64}\right)^{2/3}$$

$$T_{w} = T_{x} \frac{25}{16} \qquad T_{w}V_{w}^{r-1} = T_{x}V_{x}^{r-1} \qquad \dots (1)$$

$$T_{x}V_{x}^{-1} = T_{y}V_{y}^{-1} \qquad \dots (2)$$

$$T_{y}V_{y}^{r-1} = T_{z}V_{z}^{r-1} \qquad \dots (3)$$

$$T_{z}V_{z}^{-1} = T_{w}V_{w}^{-1} \qquad V_{w}^{r}V_{y}^{r} = V_{x}^{r}V_{z}^{r}; \qquad \left|\frac{V_{w}}{V_{x}} = \frac{V_{z}}{V_{y}}\right|$$

$$V_{z} = \frac{164}{125} \times 250 \qquad V_{z} = 128 \ cm^{3}$$

$$(\Delta Q)_{xy} = nC_{p}\Delta T = n\frac{5R}{2} \left[T_{y} - T_{x}\right] \ but \ T_{y} = 2T_{x}$$

$$= \frac{5}{2} nR_{x} \frac{16}{25} T_{w}$$

$$(\Delta Q)_{xy} = \frac{8}{5} nRT_{w} = 1.6J$$
A geostationary satellite above the equator is orbiting

28. A geostationary satellite above the equator is orbiting around the earth at a fixed distance  $r_1$  from the center of the earth. A second satellite is orbiting in the equatorial plane in the opposite direction to the earth's rotation, at a distance  $r_2$  from the center of the earth, such that  $r_1 = 1.21r_2$ .the time period of the second satellite as measured from the geostationary satellite is  $\frac{24}{p}$  hours. The value of p is\_\_\_\_\_

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ANS-2.33
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### SOL:

$T_1^2 \alpha r_1^3$ where $T_1^2$	$T_1 = 24 hrs$		
$T_2^2 \alpha r_2^3$	$\frac{T_2}{T_1} = \left(\frac{r_2}{r_1}\right)^{3/2}$		
$= \left(\frac{1}{1.21}\right)^{3/2}$	$T_2 = \frac{2}{w_1 + w_2}$	$\frac{1}{T_{21}}$	$=\frac{1}{T_1}+\frac{1}{T_2}$
$\frac{1}{T_{21}} = \frac{1}{T_2} + \frac{(1.1)}{T_1}$	$\frac{\int_{-\infty}^{3} T_{21}}{\left(1.1\right)^{3}+1} =$	$=\frac{T_1}{2.33}$	

29. The left right compartments of thermally isolated container of length L are separated by a thermally conducting, movable piston of area A. The left and right compartments are filled with  $\frac{3}{2}$  and 1 moles of an ideal gas, respectively. In the left compartment the piston is attached by a spring with spring constant k and natural length  $\frac{2L}{5}$ . In thermodynamic equilibrium, the piston is at a distance  $\frac{L}{2}$  from the left right edges of the container as shown in the figure. Under the above conditions, if the pressure in the right compartment is  $P = \frac{KL}{A}\alpha$ , then the value of  $\alpha$  is \_\_\_\_\_\_





### ANS:0.2

SOL:



At equilibrium  $P_L{}^A = P_R{}^A + \frac{k\ell}{10}$  .....(1) But  $P_L\left(A\frac{\ell}{2}\right) = \frac{3}{2}nRT$   $P_R\left(A\frac{\ell}{2}\right) = 1nRT$ Hence  $\frac{P_L}{P_R} = \frac{3}{2}$  .....(2) From 1 & 2  $\frac{3P_R}{2} - P_R = \frac{K\ell}{10A}$   $P_R = \frac{K\ell}{5A}$ 

30. In a Young's double slit experiment, a combination of two glass wedges A and B, having refractive indices 1.7 and 1.5 respectively, are placed in front of the slits, as shown in the figure .The separation between the slits is d=2mm and the shortest distance between the slits and the screen is D=2m. Thickness of the combination of the wedges is t = 12 μm. The value of *l* as shown in the figure is 1mm. Neglect any refraction effect at the slanted interface of the wedges. Due to the combination of the wedges, the central maximum shifts (in mm) with respect to 0 by \_\_\_\_\_\_





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Path difference at P =  $(S_2P - S_1P) + x_1(x_2 - x_1) + x_2(x_1 - x_2)$ 

$$x\lambda = (S_2P - S_1P) + (x_1 - x_2)\frac{td}{d + 2d}$$

$$x\lambda = \sin\theta + (x_1 - x_2)\frac{td}{(d+2\ell)}$$

For central max x = 0

$$\frac{dy}{D} = -(x_1 - x_2)\frac{td}{d + 2\ell} \quad y = -D(x_1 - x_2)\frac{t}{d + 2\ell} \qquad Y = 1.2 \text{ mm}$$

**31.** A projectile of mass 200g is launched in a viscous medium at angle  $60^{0}$  with the horizontal, with an initial velocity of 270 m/s. It experiences a viscous drag force  $\vec{F} = -c\vec{v}$  where the drag coefficient c = 0.1 kg/s and  $\vec{v}$  is the instantaneous velocity of the projectile. The projectile hits a vertical wall after 2 s. Taking e = 2.7, the horizontal distance of the wall from the point of projection (in m) is \_\_\_\_\_.

SOL: 
$$\frac{eqn \ of \ motion}{\vec{F} = m\frac{d\vec{v}_x}{dt}} -C\left(v_x\hat{i} + v_y\hat{j}\right) - mg\hat{j} = m\frac{dv_x}{dt}\hat{i} + m\frac{dv_y}{dt}\hat{j}$$
$$-Cv_x = m\frac{dv_x}{dt} \qquad m\frac{dv_x}{dx}\frac{dx}{dt} = -c\frac{v}{x} \ mdv_x = -c \ dx \qquad m(v_x - u_x) = -cx$$
$$v_x = u_x \frac{-c}{m}x \qquad \int_{0}^{x} \frac{dx}{u_x - \frac{c}{m}x} = \int_{0}^{t} dt$$
$$u_x \left(1 - e^{-\frac{ct}{m}}\right) = \frac{c}{m}x \qquad x = \frac{mu_x}{c} \left[1 - e^{-\frac{ct}{m}}\right]$$
$$x = 270\left(1 - \frac{1}{e}\right) = 270\left(1 - \frac{1}{2.7}\right) \qquad x = 170 m$$

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**32.** An audio transmitter (T) and a receiver (R) are hung vertically from two identical massless strings of length 8m with their pivots well separated along the X axis. They are pulled from the equilibrium position in opposite directions along the X axis by a small angular amplitude  $\theta_0 = \cos^{-1}(0.9)$  and released simultaneously. If the natural frequency of the transmitter is 660 Hz and the speed of sound in air is 330 m/s, the maximum variation in the frequency (in Hz) as measured by the receiver (Take the acceleration due to gravity  $g = 10 m / s^2$ ) is\_\_\_\_.



SOL: 
$$\cos \theta_0 = \frac{9}{10}$$
  $\frac{1}{2}mV_{\max}^2 = mg\ell(1 - \cos\theta_0)$   
 $V_{\max} = \sqrt{2g\ell(0.1)} = 4m/s$ 

$$f_{app} = f\left(\frac{V \pm V_0}{V \mp V_0}\right) V_0 = V_S = 4 \ m/s \ \Delta f = 32 \ Hz$$











Sri	
37.	The correct statement(s) about intermolecular forces is(are)
	A) The potential energy between two point charges approaches zero more rapidly than
	the potential energy between a point dipole and a point charge as the distance between
	them approaches infinity.
	<b>B</b> ) The average potential energy of two rotating polar molecules that are separated by a
	distance r has $1/r^3$ dependence.
	C) The dipole-induced dipole average interaction energy is independent of temperature.
	<b>D</b> ) Nonpolar molecules attract one another even though neither has a permanent dipole
	moment.
ANS-	D
SOL:	Non polar molecules attract each other by Vander Waal's force of attraction.
38.	The compound(s) with P-H bond(s) is (are)
	<b>A</b> ) $H_3PO_4$ <b>B</b> ) $H_3PO_3$ <b>C</b> ) $H_4P_2O_7$ <b>D</b> ) $H_3PO_2$
ANS-	BD
SOL:	
	$HO - P - H \qquad HO - P - H \qquad HO - P - OH \qquad HO - P - OH \qquad HO - P - OH \qquad HO - P - OH$
	$H_3PO_2$ $H_3PO_3$ $H_3PO_4$ $H_4P_2O_7$
39.	For the reaction sequence given below, the correct statement(s) is (are)
12	i) Strong heating ii) $KMnQ_4$ , $H^+ \wedge$ ii) Strong heating iii) Ethanolic KOH
	$\underbrace{ii) NH_{3,\Delta,-2H_2O}}_{iii) R-Br} X \xrightarrow{iii) R-Br} Y \xrightarrow{NaOH} Aromatic compound + Z$
	e Educational
	A) Both X and Y are oxygen containing compounds.
	<b>B</b> ) Y on heating with $CHCl_3 / KOH$ forms isocyanide.
	C) Z reacts with Hinsberg's reagent
	<b>D</b> ) Z is an aromatic primary amine.
	Page   35
Sri	Chaitanya Dominates

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TOTAL QUALIFIED RANKS **22,094** 







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### ANS- 3.95

**SOL:** Millimole of  $Ba(NO_3)_2 = 200 \times 0.01 = 2millimole$ Millimole of  $NaIO_3 = 100 \times 0.1 = 10$  millimole V = 300 ml $Ba(NO_3)_2 + 2NaIO_3 \longrightarrow Ba(IO_3)_2 + 2NaNO_3$ 2 10 0 6  $\left[IO_3^{-}\right] = \frac{6}{300} = \frac{1}{50}$  Molar  $K_{SP} = \left\lceil Ba^{+2} \right\rceil \left\lceil IO_3^{-1} \right\rceil^2$  $1.58 \times 10^{-9} = \left\lceil Ba^{+2} \right\rceil \times \left(\frac{1}{50}\right)^2$  $\left\lceil Ba^{+2} \right\rceil = 3.95 \times 10^{-6}$ Given  $\left[ Ba^{+2} \right] = x \times 10^{-6}$   $\therefore x = 3.95$ Adsorption of phenol from its aqueous solution on to fly ash obeys Freundlich isotherm. **43**. At a given temperature, from  $10mg g^{-1}$  and  $16mg g^{-1}$  aqueous phenol solutions, the concentrations of adsorbed phenol are measured to be  $4mg g^{-1}$  and  $10mg g^{-1}$ , respectively. At this temperature, the concentration  $(inmg g^{-1})$  of adsorbed phenol from  $20 mg g^{-1}$  aqueous solution of phenol will be\_\_\_\_\_ Use:  $\log_{10} 2 = 0.3$ 

**ANS-16** 



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<b>SOL:</b> $\frac{x}{m} = KC^{1/n}$	$4 = K.(10)^{\frac{1}{n}}$
$10 = K(16)\frac{1}{n}$	$\frac{4}{10} = \left(\frac{10}{16}\right)^{\frac{1}{n}}$
On solving	n = 1/2
$4 = K(10)^2$	$\therefore K = \frac{4}{100}$
Finally	$\frac{x}{m} = K.C^{1/n}$
$\frac{x}{m} = \frac{4}{100} \times (20)^2$	$\frac{x}{m} = 16$

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44. Consider a reaction  $A + R \rightarrow$  Product .The rate of this reaction is measured to be k[A][R]. At the start of the reaction, the concentration of R,  $[R]_0$ , is 10-times the concentration of A,  $[A]_0$ . The reaction can be considered to be a pseudo first order reaction with assumption that k[R] = k' is constant .Due to this assumption, the relative error (in %) in the rate when this reaction is 40% complete, is\_\_\_\_\_

[ k and k' represent corresponding rate constant]

ANS-4.17

 $A + R \longrightarrow P$ SOL:  $a \quad 10a \quad 0$   $0.6a \quad 9.6a \quad 0.4a$ Rate = K [0.6a] [9.6a]Calculation with K'



	$A + R \longrightarrow P$
	<i>a</i> 10 <i>a</i> 0
	0.6 <i>a</i> 10 <i>a</i> –
	Rate= $K'[A]$
	$K \times 10a \times 0.6a = 6Ka^2$
	$\text{Error} = 6Ka^2 - 5.76Ka^2 = 0.24Ka^2$
	% error $=\frac{0.24 Ka^2}{5.76 Ka^2} \times 100 = 4.166 = 4.17\%$
45.	At 300K, an ideal dilute solution of a macromolecule exerts osmotic pressure that is
	expressed in terms of the height (h) of the solution $\left(density = 1.00 g \ cm^{-3}\right)$ where h is
	equal to 2.00cm. If the concentration of the dilute solution of the macromolecule is
	2.00 g dm <sup>-3</sup> , the molar mass of the macromolecule is calculated to be $X \times 10^4$ g mol <sup>-1</sup> .
	The value of X is
	Use: Universal gas constant $(R) = 8.3 J K^{-1} mol^{-1}$ and acceleration due to gravity
	$(g)=10ms^{-2}$
ANS	- 2.49
SOL	$d = 1 \operatorname{gram} / \operatorname{cm}^3$ $h = 2 \operatorname{cm}^3$
50L.	
	$\pi = CRT \qquad \qquad \pi = \frac{w}{m.V} \times RT$
	$\pi = 200 \ N \ / \ m^2 = 200 \times 10^{-5} \ atm$
	$200 \times 10^{-5} = \frac{2}{m} \times 0.082 \times 300 \qquad m = 2.46 \times 10^4$
	Given $\Rightarrow m = x \times 10^4$ $\Rightarrow x = 2.49$
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 $[Mn(CN)_6]^{3-}:Mn^{3+}:3d^4$  $CN^-:SFL:$ # 1 1  $\therefore \mu_{spin only} = \sqrt{n(n+2)} = \sqrt{8} = 2.828 BM$  $\therefore$  Sum of the spin-only magnetic moment value = 4.898 + 2.828 = 7.726A linear octasaccharide (molar mass =  $1024 g mol^{-1}$ ) on complete hydrolysis produces **48.** three monosaccharides: ribose, 2-deoxyribose and glucose. The amount of 2-deoxyribose formed is 58.26% (w/w) of the total amount of the monosaccharides produced in the hydrolyzed products. The number of ribose unit(s) present in one molecule of octasaccharide is \_\_\_\_\_. Use: Molar mass (in  $g mol^{-1}$ ) : ribose = 150, 2-deoxyribose = 134, glucose = 180; Atomic mass (in amu): H = 1, O = 16ANS-2 **SOL-** Octasacharide given m.wt = 1024 gr. 7  $H_2O$  are removed So,  $7 \times 18 = 126$ 1024 1150 gr (8 monosacharides weight) stitutions Hydrolysis products are Ribose + 2-deoxyribose + glucose 58.26% (w/w) of ribose Equals to 670 gr 1150-670 = 480 gr Which is equal to 2 moles of ribose and 1 molecule of glucose









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